# Aircraft Spar Beam Torsion

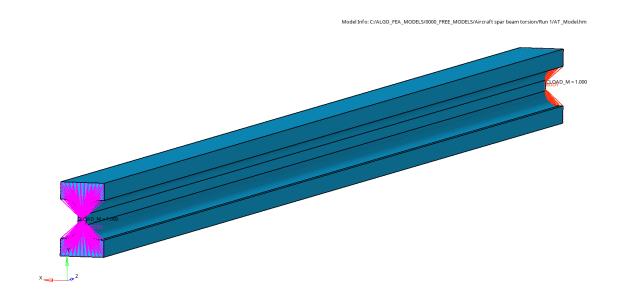
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For questions, please fill out contact form



### **Model Description**

- Torsion analysis of a spar beam based on example question 2 documented in page 385 of the following book:
  - J. Souza, Roark's Formulas For Stress And Strain-.pdf.
     Accessed: Nov. 06, 2022. [Online]. Available:
     <a href="https://www.academia.edu/37205286/Roarks">https://www.academia.edu/37205286/Roarks</a> Formulas For Stress And Strain pdf
- As mentioned in the book, spar beam is made out of spruce wood.





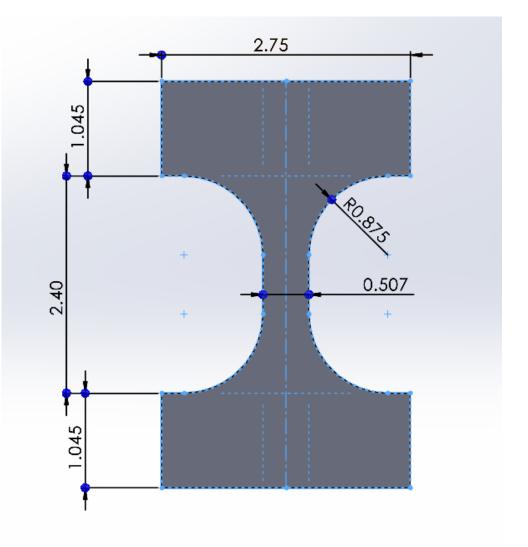
### **Model Description**

Length – 8 ft

Young's modulus – 1500000 lb/in2

Modulus of rigidity – 100000 lb/in2

Poison's ratio - 0.38





### **Model Parameters**

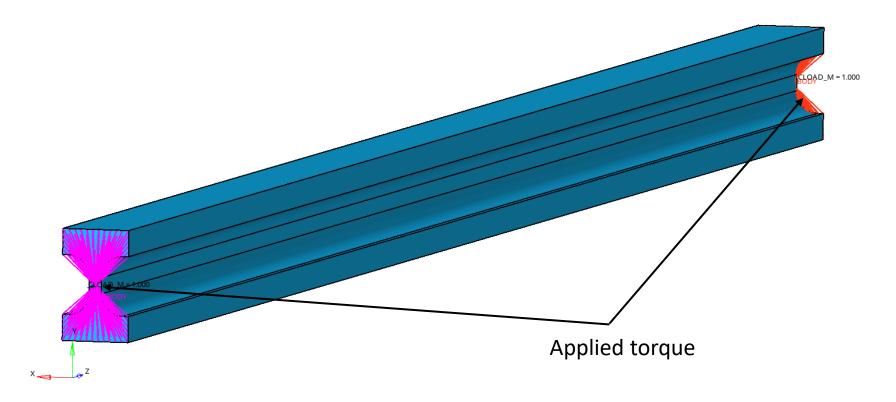
Entity	Туре
Solver	Altair Radioss
Version	2021.2.1
Processors	2
Threads	2
CPU	Intel(R) Core(TM) i7-9750H CPU @ 2.60GHz
Total run time	1 sec

FEA Entities	Туре
Analysis Type	Dynamic Explicit
Unit System	lb, in, s
Element Type	HEXA8N
Material Type	M1_ELAST
Property Type	P14_SOLID



## Analysis Setup

Model Info: C:/ALGO\_FEA\_MODELS/0000\_FREE\_MODELS/Aircraft spar beam torsion/Run 1/AT\_Model.hm





### **Analysis Assumptions and Limitations**

• Standard density value and standard Poisson's ratio of spruce is assumed.



#### **Hand Calculations**

*K* – *Length to the fourth function of cross section* 

- $-Young's modulus \quad v-Poisson's ratio \qquad T-torque$
- length G- modulus of Rigidity A- Area of the section

$$K = 2K_1 + K_2 + 2\alpha D^4$$

$$K_1 = ab^3 \left[ \frac{1}{3} - 0.21 \frac{b}{a} \left( 1 - \frac{b^4}{12a^4} \right) \right] = 0.796 in^4$$

$$K_2 = \frac{1}{3}cd^3 = 0.104 in^4$$

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$$\alpha = \frac{t}{t_1} \left( 0.15 + 0.1 \frac{r}{b} \right) = 0.1133$$

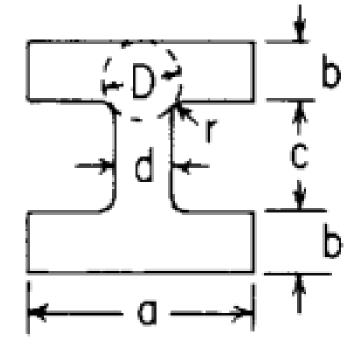


Figure – from above book



#### **Hand Calculations**

Here,  $t_1 = d$ 

$$\theta = \frac{Tl}{KG} = 0.168 \, rad$$

$$\tau_{max} = \frac{T}{K}C$$

Where,

$$C = \frac{D}{1 + \frac{\pi^2 D^4}{16A^2}} \left[ 1 + 0.15 \left( \frac{\pi^2 D^4}{16A^2} - \frac{D}{2r} \right) \right] = 1.73 \text{ in}$$

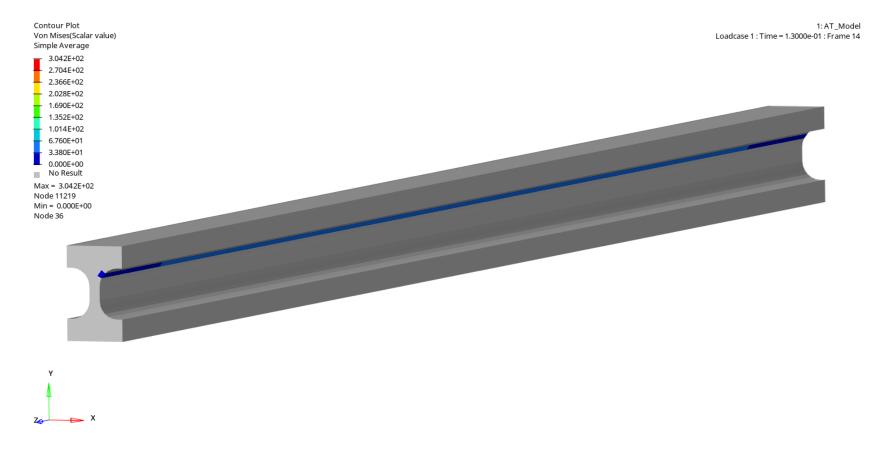
Therefore,

$$\tau_{max} = 303 \ lb/in^2$$



## **Analysis Results**

Units – lb/in2





## **Analysis Results**

Maximum stress,

Based on hand calculations – 303 ln/in2

From the simulation – 304.2 lb/in2



#### Conclusions

- Torsion analysis of a spar beam conducted using Altair Radioss based on the book listed in slide 2.
- Results of the simulation correlate well to the expected hand calculation value.

